

SIGNALS AND SYSTEMS (EC304PC) COURSE PLANNER

I. COURSE OVERVIEW:

Signals and Systems encounter extensively in our day-to-day lives, from making a phone call, listening to a song, editing photos, manipulating audio files, using speech recognition software's like Siri and Google now, to taking EEGs, ECGs and X-Ray images. Each of these involves gathering, storing, transmitting and processing information from the physical world.

This course will equip to deal with these tasks efficiently by learning the basic mathematical framework of signals and systems. Here we will explore the various properties of signals and systems, characterization of Linear Time Invariant Systems/ Time variant systems, convolution and Fourier Series and Transform, and also deal with the Sampling theorem, Z-Transform, Correlation and Laplace transform. Ideas introduced in this course will be useful in understanding further Electronic/ Electrical Engineering courses which deal with control systems, communication systems, digital signal processing, statistical signal analysis and digital message transmission. Further concepts such as signal sampling and aliasing are introduced. The theory is exemplified with processing of signals in MATLAB.

II. PREREQUISITS:

- 1. Engineering Mathematics
- 2. Basics of Vector Theory

III. COURSE OBJECTIVES:

1.	This gives the basics of Signals and Systems required for all Electrical Engineering related courses.
2.	To understand the behavior of signal in time and frequency domain
3.	To understand the characteristics of LTI systems
4.	This gives concepts of Signals and Systems and its analysis using different transform techniques.

IV. COURSE OUTCOMES:

S.No.	Description	Bloom's Taxonomy
		Level
1.	Differentiate various signal functions.	Remember, Understand
		(Level1, Level2)
2.	Represent any arbitrary signal in time and frequency	Apply, (Level 3)
	domain.	
3.	Understand the characteristics of linear time invariant	Remember, Understand
	systems.	(Level1, Level2)
4.	Analyze the signals with different transform technique.	Analyze (Level 4)



Proficiency Lev **Program Outcomes (PO)** assessed by el Engineering Knowledge: Apply the knowledge of mathematics, Assignments PO1 science. engineering fundamentals. and engineering 3 an specialization to the solution of complex engineering problems. Exercises Problem Analysis: Identify, formulate, review research literature, and analyze complex engineering problems reaching substantiated 3 **PO2** Assignments conclusions using first principles of mathematics, natural sciences, and engineering sciences. **Design/ Development of Solutions**: Design solutions for complex engineering problems and design system components or processes that meet the specified needs with appropriate consideration for the PO3 1 Assignments public health and safety, and the cultural, societal, and environmental considerations. Conduct Investigations of Complex Problems: Use researchbased knowledge and research methods including design of PO4 experiments, analysis and interpretation of data, and synthesis of the information to provide valid conclusions. Modern Tool Usage: Create, select, and apply appropriate techniques, resources, and modern engineering and IT tools Assignments PO5 1 including prediction and modeling to complex engineering activities with an understanding of the limitations. The Engineer and Society: Apply reasoning informed by the contextual knowledge to assess societal, health, safety, legal and PO6 _ cultural issues and the consequent responsibilities relevant to the professional engineering practice. Environment and Sustainability: Understand the impact of the professional engineering solutions in societal and environmental PO7 contexts, and demonstrate the knowledge of, and need for sustainable development. Ethics: Apply ethical principles and commit to professional ethics **PO8** _ and responsibilities and norms of the engineering practice. Individual and Team Work: Function effectively as an Oral PO9 individual, and as a member or leader in diverse teams, and in 2 Discussions multidisciplinary settings. Communication: Communicate effectively on complex engineering activities with the engineering community and with PO1 society at large, such as, being able to comprehend and write -0 effective reports and design documentation, make effective presentations, and give and receive clear instructions.

V. HOW PROGRAM OUTCOMES ARE ASSESSED:



	Program Outcomes (PO)	Lev el	Proficiency assessed by
PO1 1	Project management and finance : Demonstrate knowledge and understanding of the engineering and management principles and apply these to one's own work, as a member and leader in a team, to manage projects and in multidisciplinary environments.	-	-
PO1 2	Life-Long Learning : Recognize the need for, and have the preparation and ability to engage in independent and life-long learning in the broadest context of technological change.	1	Assignments

1: Slight (Low) 2: Moderate (Medium) 3: Substantial (High) -: None

VI. HOW PROGRAM SPECIFIC OUTCOMES ARE ASSESSED:

	Program Specific Outcomes	Leve l	Proficienc y assessed by
PSO 1	Professional Skills: An ability to understand the basic concepts in Electronics & Communication Engineering and to apply them to various areas, like Electronics, Communications, Signal processing, VLSI, Embedded systems etc., in the design and implementation of complex systems.	1	Lectures, Assignment s
PSO 2	Problem-Solving Skills: An ability to solve complex Electronics and communication Engineering problems, using latest hardware and software tools, along with analytical skills to arrive cost effective and appropriate solutions.	3	Tutorials
PSO 3	Successful Career and Entrepreneurship: An understanding of social-awareness & environmental-wisdom along with ethical responsibility to have a successful career and to sustain passion and zeal for real-world applications using optimal resources as an Entrepreneur.	-	-

1: Slight (Low) 2: Moderate (Medium) 3: Substantial (High) -: None

VII. SYLLABUS:

UNIT - I Signal Analysis: Analogy between Vectors and Signals, Orthogonal Signal Space, Signal approximation using Orthogonal functions, Mean Square Error, Closed or complete set of Orthogonal functions, Orthogonality in Complex functions, Classification of Signals and systems, Exponential and Sinusoidal signals, Concepts of Impulse function, Unit Step function, Signum function.

UNIT – II Fourier series: Representation of Fourier series, Continuous time periodic signals, Properties of Fourier Series, Dirichlet's conditions, Trigonometric Fourier Series and Exponential Fourier Series, Complex Fourier spectrum.

Fourier Transforms: Deriving Fourier Transform from Fourier series, Fourier Transform of arbitrary signal, Fourier Transform of standard signals, Fourier Transform of Periodic Signals,



Properties of Fourier Transform, Fourier Transforms involving Impulse function and Signum function, Introduction to Hilbert Transform.

UNIT - III Signal Transmission through Linear Systems: Linear System, Impulse response, Response of a Linear System, Linear Time Invariant(LTI) System, Linear Time Variant (LTV) System, Transfer function of a LTI System, Filter characteristic of Linear System, Distortion less transmission through a system, Signal bandwidth, System Bandwidth, Ideal LPF, HPF, and BPF characteristics, Causality and Paley-Wiener criterion for physical realization, Relationship between Bandwidth and rise time, Convolution and Correlation of Signals, Concept of convolution in Time domain and Frequency domain, Graphical representation of Convolution.

UNIT – IV Laplace Transforms: Laplace Transforms (L.T), Inverse Laplace Transform, Concept of Region of Convergence (ROC) for Laplace Transforms, Properties of L.T, Relation between L.T and F.T of a signal, Laplace Transform of certain signals using waveform synthesis.

Z–Transforms: Concept of Z- Transform of a Discrete Sequence, Distinction between Laplace, Fourier and Z Transforms, Region of Convergence in Z-Transform, Constraints on ROC for various classes of signals, Inverse Z-transform, Properties of Z-transforms.

UNIT - V Sampling Theorem: Graphical and analytical proof for Band Limited Signals, Impulse Sampling, Natural and Flat top Sampling, Reconstruction of signal from its samples, Effect of under sampling – Aliasing, Introduction to Band Pass Sampling.

Correlation: Cross Correlation and Auto Correlation of Functions, Properties of Correlation Functions, Energy Density Spectrum, Parsevals Theorem, Power Density Spectrum, Relation between Autocorrelation Function and Energy/Power Spectral Density Function, Relation between Convolution and Correlation, Detection of Periodic Signals in the presence of Noise by Correlation, Extraction of Signal from Noise by Filtering.

TEXT BOOKS:

- 1. Signals, Systems & Communications B.P. Lathi, 2013, BSP.
- 2. Signals and Systems A.V. Oppenheim, A.S. Willsky and S.H. Nawabi, 2 Ed. **REFERENCE BOOKS:**
- 1. Signals and Systems Simon Haykin and Van Veen, Wiley 2 Ed.,
- 2. Signals and Systems A. Rama Krishna Rao, 2008, TMH
- 3. Fundamentals of Signals and Systems Michel J. Robert, 2008, MGH International Edition.
- 4. Signals, Systems and Transforms -C.L.Philips, J.M.Parr and Eve A.Riskin, 3Ed., 2004, PE.
- 5. Signals and Systems K. Deergha Rao, Birkhauser, 2018.

NPTEL Web Course: https://nptel.ac.in/courses/108104100 NPTEL Video Course: https://nptel.ac.in/courses/108104100

GATE SYLLABUS:

Definitions and properties of Laplace transform, continuous-time and discrete-time Fourier series, continuous-time and discrete-time Fourier Transform, DFT and FFT, z-transform.



Sampling theorem. Linear Time-Invariant (LTI) Systems: definitions and properties; causality, stability, impulse response, convolution, poles and zeros, parallel and cascade structure, frequency response, group delay, phase delay. Signal transmission through LTI systems.

IES SYLLABUS:

Classification of signals and systems: System modeling in terms of differential and difference equations; State variable representation; Fourier series; Fourier transforms and their application to system analysis; Laplace transforms and their application to system analysis; Convolution and superposition integrals and their applications; Z-transforms and their applications to the analysis and characterization of discrete time systems; Random signals and probability, Correlation functions; Spectral density; Response of linear system to random inputs.

VIII. COURSE PLAN (Lesson Plan):

Lecture No.	Unit	Topics to be covered	Subtopics	Link for PPT	Link for PDF	Link for Small Projects/ Numericals	Course Learning Outcomes	Teaching Methodology	References
1	1	Introduction of S&S and Detail Introduction about the syllabus	Prerequisite Vector Prerequisite Function	https://docs.go ogle.com/prese ntation/d/1eD3 Xya4L- rShzUjStFHxp SDTGRj1WK Y4/edit?usp=s haring&ouid= 107982842699 867915530&rt pof-true&rd=t	https://drive.googl e.com/file/d/1nb1 1Q1WgfBTDNiR rpcJQIGGoW12_ cKKq/view?usp=s haring	NA	Understand	Chalk and talk, PPT	T1
2	1	Signal	Introduction classification Properties	rue		NA	Understand	Chalk and talk, PPT	T1
3	1	system	Introduction classification Properties			NA	Understand	Chalk and talk, PPT	T1
4	1	Tutorial 1	vector and function	NA	NA	NA	Self assessment	Chalk and talk,PPT	T1



5	1	Basic Signals Basic Signals	Concepts of Impulse function, Unit Step function, ramp function. Exponential and Sinusoidal signals signum	https://docs.go ogle.com/prese ntation/d/1eD3 Xya4L- rShzUjStFHxp SDTGRj1WK Y4/edit?usp=s haring&ouid=	https://drive.googl e.com/file/d/1nb1 1Q1WgfBTDNiR rpcJQIGGoW12_ cKKq/view?usp=s haring	NA NA	Understand Understand	Chalk and talk,PPT Chalk and talk,PPT	T1 T1 T1
			function	107982842699 867915530&rt pof=true&sd=t rue					
7	1	Tutorial 2	Signals and properties	NA	NA	NA	Understand	Chalk and talk,PPT	
8	1	Tutorial 3	System and properties	NA	NA	NA	Understand	Chalk and talk,PPT	T1
9	1	Vectors and Signals,	Analogy with examples	https://docs.go ogle.com/prese ntation/d/1eD3 Xya4L-	https://drive.googl e.com/file/d/1nb1 1Q1WgfBTDNiR rpcJQIGGoW12_	NA	Understand	Chalk and talk,PPT	T1
10	1	Orthogonal functions	Space approximation	SDTGRj1WK Y4/edit?usp=s haring&ouid= 107982842699	haring	NA	Understand	Chalk and talk,PPT	T1
11	1	Orthogonal functions	Orthogonality in Complex functions	867915530&rt pof=true&sd=t rue		NA	Understand	Chalk and talk,PPT	T1
12	1	Orthogonal functions	Mean Square Error Closed or complete set of Orthogonal functions			NA	Understand	Chalk and talk,PPT	T1
13	1	REVISION	NA	NA	NA	NA	Self assessment		
14	1	Student presentation	NA	NA	NA	NA	Self assessment		
15	1	Mock Test	NA	NA	NA	NA	Evaluation		



16	2	Fourier series	Introduction	https://drive.go ogle.com/drive /folders/1e62X ccb9BeZFIQx	https://drive.googl e.com/drive/folder s/1uBvIxYiPvlusu <u>G81z065xhJTHE</u>	NA	Understand	Chalk and talk,PPT	T1
17	2	Fourier series	Continuous time periodic signals,	<u>TMCbQrm-</u> <u>z_adPAHo?u</u> <u>sp=sharing</u>	<u>U30zEO?usp=sha</u> ring	NA	Understand	Chalk and talk,PPT	T1
18	2	Fourier series	Properties of Fourier Series,	-		NA	Understand	Chalk and talk,PPT	T1
19	2	Fourier series	Dirichlet's conditions, Trigonometric Fourier Series and Exponential Fourier Series, Complex Fourier spectrum.			NA	Understand	Chalk and talk,PPT	T1
20	2	Tutorial 4	Fourier Series and Properties	_NA	_NA	NA	Self assessment	Chalk and talk,PPT	T1
21	2	Fourier Transforms	: Deriving Fourier Transform from Fourier series, Fourier Transform of arbitrary signal	https://drive.go ogle.com/drive /folders/1e62X ccb9BeZFIQx TMCbQrm- z_adPAHo?u sp=sharing	https://drive.googl e.com/drive/folder s/1uBvIxYiPvlusu G81z065xhJTHE U30zEO?usp=sha ring	NA	Understand	Chalk and talk,PPT	T1
22	2	Fourier Transforms	Fourier Transform of standard signals, Fourier Transform of Periodic Signals,			NA	Understand	Chalk and talk,PPT	T1
23	2	Fourier Transforms	Properties of Fourier Transform, Fourier Transforms involving Impulse function and Signum function, Introduction to Hilbert			NA	Understand	Chalk and talk,PPT	T1



			Transform						
24	2	Tutorial 5	Fourier Transform	NA	NA	NA	Self assessment		
25	2	Revision	NA	NA	NA	NA	Self assessment		
26	2	Student presentation	NA	NA	NA	NA	Self assessment		
Mid	Γerm	1					1		
27	3	system	Linear System, Impulse response, Response of a Linear System, Linear Time Invariant(LTI) System,	https://drive.googl e.com/drive/folder s/1wbfiY13- MtZKh0u4tTH26 ARlgQoIIGck?usp =sharing	https://drive.goog le.com/drive/fold ers/1g4Ge7kWY 50xel0YLlZpmo BF2uo- cDUho?usp=shar ing	NA	Understand	Chalk and talk,PPT	T1
28	3	LTI and LTV systems	Signal Transmission through Linear Systems: Linear Time Variant (LTV) System, Transfer function of a LTI System,			NA	Understand	Chalk and talk,PPT	T1
29	3	Tutorial 6	System(LTI and LTV systems)	NA	NA	NA	Self assessment		
30	3	Filter and Bandwidth	Filter characteristic of Linear System, Distortion less	https://drive.googl e.com/drive/folder s/1wbfiYl3- MtZKh0u4tTH26 ARlgQoIIGck?usp =sharing	https://drive.goog le.com/drive/fold ers/1g4Ge7kWY 50xel0YLlZpmo BF2uo- cDUho?usp=shar	NA	Apply	Chalk and talk,PPT	T1



31	3	Filter and	transmission through a system, Signal bandwidth, System Bandwidth, Ideal LPF.		ing	NA	Apply	Chalk and	T1
		Design	HPF, and BPF characteristic s, Causality and Paley- Wiener criterion for physical realization,					talk,PPT	
32	3	Working of Filter	Relationship between Bandwidth and rise time, Convolution and Correlation of Signals			NA	Apply	Chalk and talk,PPT	T1
33	3	Exercise on convolution, Tutorial 7	Concept of convolution in Time domain and Frequency domain Graphical representation of Convolution	NA	NA	NA	Self assessment		
34	3	Revision	NA	NA	NA	NA	Self assessment		
35	3	Student presentation	NA	NA	NA	NA	Self assessment		
36	4	Laplace Transforms	Introduction	https://drive.googl e.com/drive/folder s/14jfno14Zp8r- rLJwBdzj9qpR2-	https://drive.goog le.com/drive/fold ers/14IwB0sr06Z 9DDfewjKEBM	NA	Understand	Chalk and talk, PPT	T1
37	4	Laplace Transforms	Concept of Region of Convergence (ROC) for Laplace Transforms,	g	2usp=sharing	NA	Understand	Chalk and talk,PPT	T1



			Properties of L.T,						
38	4	Laplace Transforms	Relation between L.T and F.T of a signal, Laplace Transform of certain signals using waveform synthesis.			NA	Understand	Chalk and talk,PPT	T1
39	4	Tutorial 8	Laplace Transforms	NA	NA	NA	Self assessment		
40	4	Z Transforms	Z– Transforms: Concept of Z- Transform of a Discrete Sequence,	https://drive.googl e.com/drive/folder s/14jfno14Zp8r- rLJwBdzj9qpR2- tjvMzn?usp=sharin g	https://drive.goog le.com/drive/fold ers/14IwB0sr06Z 9DDfewjKEBM MMHd8petMUT ?usp=sharing	NA	Understand	Chalk and talk,PPT	T1
41	4	Z Transforms	fourier and Z Transforms, Region of Convergence in Z- Transform,			NA	Understand	Chalk and talk,PPT	T1
42	4	Z Transforms	Constraints on ROC for various classes of signals, Inverse Z- transform, Properties of Z-transforms.			NA	Understand	Chalk and talk,PPT	T1
43	4	Tutorial 9	Z-Transform	NA	NA	NA	Self assessment		
44	4	MOCK TEST-2	MOCK TEST-2	NA	NA	NA	Evaluation		
45	4	Revision	NA	NA	NA	NA	Self assessment		



46	4	Student presentation	NA	NA	NA	NA	Self assessment		
47	5	Sampling theorem:	Graphical and analytical proof for Band Limited Signals, Impulse Sampling, Natural and Flat top Sampling,	https://drive.googl e.com/drive/folder s/1Dy90471pxjFuc 744DL9yzjzh- MXv867n?usp=sh aring	https://drive.goog le.com/drive/fold ers/148W8vucg0 WLmafKCgWbx qCJad1zXeRau?u sp=sharing	NA	Understand	Chalk and talk,PPT	T2
48	5	Reconstructi on Band Pass	of signal from its samples, Effect of under sampling – Aliasing,				Understand	Chalk and talk,PPT	T2
49	5	Tutorial 10	Sampling	NA	NA	NA	Self assessment		
50	5	Correlation:	Cross Correlation and Auto Correlation of Functions,	https://drive.googl e.com/drive/folder s/1Dy9047IpxjFuc 744DL9yzjzh- MXv867n?usp=sh aring	https://drive.goog le.com/drive/fold ers/148W8vucg0 WLmafKCgWbx qCJad1zXeRau?u sp=sharing	NA	Understand	Chalk and talk,PPT	T2
51	5	Properties	Energy Density Spectrum, Parsevals Theorem.			NA	Understand	Chalk and talk,PPT	T2
52	5	Properties	Power Density Spectrum, Relation between Autocorrelati on Function and Energy/Powe r Spectral Density Function,			NA	Understand	Chalk and talk,PPT	T2
53	5	Convolution and Correlation	Relation, Detection of Periodic Signals in the presence of Noise by			NA	Understand	Chalk and talk,PPT	T2



			Correlation,						
5.4			0.10	_		NT A			
54	5	Extraction	Noise by Filtering			NA	Understand	talk,PPT	12
55	5	Tutorial 11	Fourier Transform	NA	NA	NA	Self assessment		
56	5	Revision	NA	NA	NA	NA	Self assessment		
57	5	Student presentation	NA	NA	NA	NA	Self assessment		
MIE)-II E	XAMINATION	N						
Text	t Book	C C C C C C C C C C C C C C C C C C C							
1. Si	gnals	and Systems - A	A.V. Oppenheim	, A.S. Willsky ar	nd S.H. Nawabi, 2 Ed.				
2. Si	gnals,	Systems & Con	nmunications - I	B.P. Lathi, 2013,	BSP.				
Refe	erence	Books							
1. Si	gnals	and Systems – S	Simon Haykin ar	nd Van Veen, Wi	lley 2 Ed.,				
2.Sig	gnals a	nd Systems – A	. Rama Krishna	Rao, 2008, TMF	ł				
3. Inter	Funda natior	mentals of Sign al Edition.	als and Systems	ert, 2008, MGH					
4.Sig Ed.,	gnals, 2004,	Systems and Tr PE.	ansforms - C. L.	r and Eve A.Riskin, 3					
5. Si	gnals	and Systems – I	K. Deergha Rao,	Birkhauser, 201	8				

IX. MAPPING COURSE OUTCOMES LEADING TO THE ACHIEVEMENT OF PROGRAM OUTCOMES AND PROGRAM SPECIFIC OUTCOMES:

Course Outcom es	Program Outcomes							Program Specific Outcomes							
	PO 1	PO 2	PO 3	PO 4	PO 5	PO 6	РО 7	PO 8	PO 9	P O 10	P 0 11	P 0 12	PS O1	PS O2	PS O3
CO1	3	3	1	-	1	-	-	-	1	-	-	1	1	3	-
CO2	3	3	1	-	1	-	-	-	1	-	-	1	1	3	-
CO3	3	3	1	-	1	-	-	-	2	-	-	1	1	3	-
CO4	3	3	2	-	1	-	-	-	2	-	-	1	1	3	-
Average	3	3	1.2 5	-	1	-	-	-	1.5	-	-	1	1	3	-
Average (Rounde d)	3	3	1	-	1	-	-	-	2	-	-	1	1	3	-

1: Slight (Low) 2: Moderate (Medium) 3: Substantial (High) -: None



X. JUSTIFICATIONS FOR CO-PO MAPPING:

Mapping	Low (1),	Justification
	$\begin{array}{c} \text{Medium (2),} \\ \text{High(3)} \end{array}$	
CO1 DO1	2	Students will be able to discuss the analogy between vectors
COI-POI	5	and signals.
CO1-PO2	3	Students will be able to describe the signal approximation
01-102	5	using orthogonal functions.
GOL DO		Students will be able to discuss about Exponential and
CO1-PO3	1	sinusoidal signals, Concepts of Impulse function, Unit step
		function, Signum function.
CO1-PO5	1	Students will be able to illustrate Fourier series, Continuous
		time periodic signals, properties of Fourier series.
CO1 DO0	1	Students will be able to illustrate Dirichlet's conditions,
C01-P09	1	Complex Fourier spectrum
		Studente will be able to compute Fourier transform from
CO1-PO12	1	Fourier series
		Students will be able to compute Fourier transform of
CO1-PSO1	1	arbitrary signal
		Students will be able to compute Fourier transform of
CO1-PSO2	3	standard signals.
	2	Students will be able to compute Fourier transform of
CO2-PO1	3	periodic signals.
		Students will be able to demonstrate the Linear system,
	3	impulse response, Response of a linear system, Linear time
02-102	5	invariant (LTI) system, and Linear time variant (LTV)
		system.
CO2-PO3	1	Students will be able to discuss Filter characteristics of linear
002105	1	systems.
CO2-PO5	1	Students will be able to demonstrate the Causality and
	•	Paley-Wiener criterion for physical realization.
CO2-PO9	1	Students will be able to describe Laplace transforms, Partial
		traction expansion, Inverse Laplace transform.
CO2-PO12	1	Students will be able to demonstrate the concept of region
		of convergence (ROC) for Laplace transforms.
CO2-PSO1	1	students will be able to examine the constraints on ROC for
		Students will be able to examine the fundamental difference
CO2-PSO2	3	between continuous and discrete time signals
		Students will be able to describe concept of 7- Transform of
CO3-PO1	3	a discrete sequence
		Students will be able to describe concept and methods to
CO3-PO2	3	determine the inverse Z- Transform of a discrete sequence.



CO3-PO3	1	Students will be able to describe concept of Z- Transform of					
005-105	1	a discrete sequence.					
		Students will be able to explain the distinction between					
CO3-PO5	1	Laplace, Fourier and Z transforms, Region of convergence in					
		Z-Transform,.					
Students will be able to explain the constraints on ROC for							
05-109	Δ	various classes of signals					
CO3-PO12	1	Students will be able to illustrate Sampling theorem.					
CO3-PSO1	1	Students will be able to illustrate the types of sampling.					
Students will be able to illustrate Reconstruction of signal							
C03-P502	3	from its samples.					
CO4 DO1	2	tudents will be able to illustrate the effect s of					
undersampling.							
CO4-PO2	3	Students will be able to demonstrate cross correlation.					
CO4 PO3	2	Students will be able to demonstrate properties of					
04-103	Δ.	correlation function.					
CO4 PO5	1	Students will be able to demonstrate Energy density pectrum,					
04-103	1	Parseval's theorem.					
CO4-PO9	2	Students will be able to demonstrate Power density spectrum.					
CO4 PO12	1	Students will be able to discuss relation between					
004-F012	1	autocorrelation function and energy spectral density					
	1	Students will be able to discuss relation between					
04-F501		autocorrelation function and power spectral density					
	2	Students will be able to express Relation between convolution					
004-1302	5	and correlation.					

XI. QUESTION BANK (JNTUH): UNIT - I

Long Answer Questions:

S.No.	Question	Blooms	Course
		Taxonomy	Outcom
		Level	e
1.	Write the classification of all the standard signals	Remember	1
2.	Prove that sin nwt and cos mwt are orthogonal to each other for all integers m,n	Apply	1
3.	Prove that the complex exponential signals are orthogonal functions $x(t)=e^{jnwt}$ and $y(t)=e^{jmwt}$ let the interval $be(t_0, t_0+T)$	Apply	1
4.	Discuss how an unknown function f(t) can be expressed using infinite Mutually orthogonal functions. Hence show the representation of a waveform f(t) using trigonometric Fourier series.	Apply	1
5.	Explain the analogy of vectors and signals in terms of	Understand	1



	orthogonality and evaluation of constant.		
Short A	Answer Questions:		
S.No.	Question	Blooms Taxonomy Level	Course Outcome
1.	Define the following basic signals with graphicalrepresentationi) Unit Sample Signalii) Ramp Signaliv) Sinusoidal signal.	Remember	1
2.	Write short notes on "orthogonal vector space"	Understand	1
3.	List out all the properties of Fourier Series.	Understand	1
4.	Determine the Fourier series of the function shown in	Remember	1
5.	Give relationship between Trigonometric and Exponential Fourier series.	Understand	1

UNIT - II

Long Answer Questions:

S.No.	Question	Blooms	Course
		Taxonomy	Outcome
		Level	
1.	Find the Fourier transform of the function i) $f(t) = e-a t \sin t$ (t) ii) $f(t) = \cos at2$ iii) $f(t) = \sin at2$	Apply	2
2.	Find the even and odd components of the signal $x(t) = cos(\omega ot + \pi/3)$.	Understand	2
3.	A rectangular function $f(t)$ is defined by $f(t) = 1$; $0 < t < \pi$ = -1; $\pi < t$ Approximate this function by a waveform sint over the interval $(0, 2\pi)$ such that the mean square error is inimum.	Understand	2
4.	Show that autocorrelation and power spectral density form a Fourier Transform Pair.	Understand	2
5.	State and prove Parseval's Theorem.	Remember	2

Short Answer Questions:

Taxonomy Outcome Level	S.No.	Question	Blooms	Course
Level			Taxonomy	Outcome
			Level	



1.	State and prove any Four Properties of Fourier Transform.	Remember	2
2.	Briefly explain Dirichlet's conditions for Fourier series	Understand	2
3.	State Time Shifting property in relation to Fourier series.	Understand	2
4.	Find the fourier transform of x(t)=sin(wt)	Understand	2
5.	Write the standard forms three classes of Fourier series	Evaluate	2

UNIT - III

Long Answer Questions:

S.No.	Question	Blooms	Course
		Taxonomy	Outcome
		Level	
1.	A system represented by y(t) = 2x(t-2) + 2x(t+2). i) Is the system time invariant? Justify your answer. ii) Is the system causal? Justify your answer.	Remember	3
2.	Define Linearity and Time-Invariant properties of a system.	Understand	3
3.	Show that the output of an LTI system is given by the linear convolution of input signal and impulse response of the system.	Understand	3
4.	What are the requirements to be satisfied by an LTI system to provide distortion less transmission of a signal?	Understand	3
5.	Bring out the relation between bandwidth and rise time	Understand	3

Short Answer Questions:

S.No.	Question	Blooms	Course
		Taxonomy	Outcome
		Level	
1.	Define the terms: i) Signal Bandwidth ii) System bandwidth	Remember	3
2.	Define the terms: Linear time Variant system Paley-wiener criteria for physical reliability.	Remember	3
3.	Discuss the effect of aliasing due to under sampling.	Understand	3
4.	Briefly explain BIBO stability concept.	Remember	3
5.	State Convolution property of Fourier Transform.	Analyze	3

UNIT - IV

Long Answer Questions:

S.No.	Question	Blooms	Course
		Taxonomy	Outcome
		Level	
1.	Find the inverse Z transform of $X(z) = \ln(1+az-1)$; ROC	Understand	4



	z >a		
2.	State and Prove Initial value and Final value theorem w.r.t Laplace transform	Remember	4
3.	State any four properties of Laplace transform.	Understand	4
4.	Find the inverse Laplace transform of $(S-1) / (S) (S+1)$.	Understand	4
5.	Bring out the relationship between Laplace and Fourier Transform.	Analyze	4

Short Answer Questions:

Image: Constraint of the second state its properties.Taxonomy LevelOutcome Level1.Define Laplace Transform and Its inverse.Remember42.Define Region of convergence and state its properties.Remember43.Find the Laplace transform of $f(t) = sin$ at cos bt & $f(t) = t$ Understand44.State the properties of the ROC of Laplace transformRemember45.Define Region of Convergence and state its properties w.r.tRemember4	S.No.	Question	Blooms	Course
LevelLevel1.Define Laplace Transform and Its inverse.Remember42.Define Region of convergence and state its properties.Remember43.Find the Laplace transform of $f(t) = sin$ at cos bt & $f(t) = t$ Understand44.State the properties of the ROC of Laplace transformRemember45.Define Region of Convergence and state its properties w.r.tRemember4			Taxonomy	Outcome
1.Define Laplace Transform and Its inverse.Remember42.Define Region of convergence and state its properties.Remember43.Find the Laplace transform of $f(t) = sin$ at cos bt & $f(t) = t$ Understand44.State the properties of the ROC of Laplace transformRemember45.Define Region of Convergence and state its properties w.r.tRemember4			Level	
2.Define Region of convergence and state its properties.Remember43.Find the Laplace transform of $f(t) = sin$ at cos bt & $f(t) = t$ Understand44.State the properties of the ROC of Laplace transformRemember45.Define Region of Convergence and state its properties w.r.tRemember4	1.	Define Laplace Transform and Its inverse.	Remember	4
3.Find the Laplace transform of $f(t) = sin$ at cos bt & $f(t) = t$ Understand44.State the properties of the ROC of Laplace transformRemember45.Define Region of Convergence and state its properties w.r.t Z- Transform.Remember4	2.	Define Region of convergence and state its properties.	Remember	4
4.State the properties of the ROC of Laplace transformRemember45.Define Region of Convergence and state its properties w.r.t Z- Transform.Remember4	3.	Find the Laplace transform of $f(t) = sin$ at cos bt & $f(t) = t$ sin at	Understand	4
5. Define Region of Convergence and state its properties w.r.t Remember 4	4.	State the properties of the ROC of Laplace transform	Remember	4
	5.	Define Region of Convergence and state its properties w.r.t Z- Transform.	Remember	4

UNIT - V

Long Answer Questions:

S.No.	Question	Blooms	Course
		Taxonomy	Outcome
		Level	
1.	State and prove sampling theorem for band limited signals	Understand	4
2	Derive the relationship between autocorrelation function	Understand	Δ
2.	and energy spectral density of an energy signal.	Onderstand	т
2	Discuss the process of reconstructing the signal from its	Understand	4
5.	samples.	Onderstand	
4	Bring out the relation between Correlation and	Domombor	1
4.	Convolution.	Kennennber	7
	Define Nyquist rate. Compare the merits and demerits of		
5.	performing sampling using impulse, Natural and Flat-top	Remember	4
	sampling techniques.		

Short Answer Questions:

S.No.	Question	Blooms	Course
		Taxonomy	Outcome
		Level	
1.	Find the convolution of two signals $x(n) = \{1, 1, 0, 1, 1\}$ and $h(n) = \{1, -2, -3, 4\}$	Remember	4
2.	Define autocorrelation and state its properties.	Remember	4



3.	What is the condition for avoid the aliasing effect?	Understand	4
4.	What is the significance of antialiasing filter	Analyze	4
5.	Define sampling of band pass signals.	Analyze	4

OBJECTIVE QUESTIONS: UNIT I

1.	The type of systems which are chara	cterized by input and the outp	ut quantized at	
	certain levels are called as		[]	
	a) analog b) discrete	c) continuous	d) digital	
2.	The type of systems which are chara	cterized by input and the outp	ut capable of taki	ing
	any value in a particular set of value	s are called as	· []	
	a) analog b) discrete	c) digital	d) continuous	
3.	An example of a discrete set of infor	mation/system is	· []	
	a) the trajectory of the Sun	b) data on a CD	L _	
	c) universe time scale	d) movement of wate	r through a pipe	
4.	A system which is linear is said to ol	bey the rules of	. []	
	a) scaling b) additivity c) both	n scaling and additivity d) hon	nogeneity	
5.	A time invariant system is a system	whose output	.[]	
	a) increases with a delay in input	b) decreases with a de	elay in input	
	c) remains same with a delay in inpu	t d) vanishes with a de	lay in input	
6.	Basically signals can be broadly class	ssified as &		
7.	The condition for Orthogonality betw	ween two time domain signals	is	
8.	The condition for periodicity of a co-	ntinuous time signal is		
9.	The equation for finding the power of	of DT signal is		
10	The Fourier Series of a continuous ti	ime signal is defined as		
UNIT	II			
UNIT 1.	II discovered Fourie	er series.	[]	
UNIT 1. a)	II discovered Fourie Jean Baptiste de Fourier	er series. b) Jean Baptiste Joseph Four	[] ier	
UNIT 1. a) c)	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph	er series. b) Jean Baptiste Joseph Four d) Jean Fourier	[] ier	
UNIT 1. a) c) 2.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are re	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to	ier be represented as	S
UNIT 1. a) c) 2.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are re Fourier series.	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to	[] ier be represented as []	S
UNIT 1. a) c) 2.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are re Fourier series. a) Dirichlet's conditions	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to b) Gibbs phenomenon	[] ier be represented as []	S
UNIT 1. a) c) 2.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are re Fourier series. a) Dirichlet's conditions c) Fourier conditions d) Fou	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to b) Gibbs phenomenon urier phenomenon	[] ier be represented as []	S
UNIT 1. a) c) 2. 3.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are re Fourier series. a) Dirichlet's conditions c) Fourier conditions d) Fou are the two types of	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to b) Gibbs phenomenon trier phenomenon f Fourier series.	[] ier be represented as []	S
UNIT 1. a) c) 2. 3.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are re- Fourier series. a) Dirichlet's conditions c) Fourier conditions d) Fou are the two types of a) Trigonometric and exponential	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to b) Gibbs phenomenon urier phenomenon f Fourier series. b) Trigonometric and logarit	[] ier be represented as [] hmic	S
UNIT 1. a) c) 2. 3.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are re- Fourier series. a) Dirichlet's conditions c) Fourier conditions d) Fourier are the two types of a) Trigonometric and exponential c) Exponential and logarithmic	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to b) Gibbs phenomenon trier phenomenon f Fourier series. b) Trigonometric and logarit d) Trigonometric only	[] ier be represented as [] hmic	S
UNIT 1. a) c) 2. 3. 4.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are re Fourier series. a) Dirichlet's conditions c) Fourier conditions d) Fou are the two types of a) Trigonometric and exponential c) Exponential and logarithmic are the Fourier coefficient	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to b) Gibbs phenomenon frier phenomenon f Fourier series. b) Trigonometric and logarit d) Trigonometric only nts in the following.	[] ier be represented as [] hmic []	S
UNIT 1. a) c) 2. 3. 4.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are re- Fourier series. a) Dirichlet's conditions c) Fourier conditions d) Fourier are the two types of a) Trigonometric and exponential c) Exponential and logarithmic are the Fourier coefficient a) a_0, a_n and b_n b) a_n c) b_n	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to b) Gibbs phenomenon trier phenomenon f Fourier series. b) Trigonometric and logarith d) Trigonometric only nts in the following. d) a _n and b _n	[] ier be represented as [] hmic []	5
UNIT 1. a) c) 2. 3. 4. 5.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are re- Fourier series. a) Dirichlet's conditions c) Fourier conditions d) Fourier are the two types of a) Trigonometric and exponential c) Exponential and logarithmic are the Fourier coefficient a) a_0 , a_n and b_n b) a_n c) b_n is the disadvantage of exponential	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to b) Gibbs phenomenon frourier phenomenon f Fourier series. b) Trigonometric and logarit d) Trigonometric only nts in the following. d) a _n and b _n ntial Fourier series.	[] ier be represented as [] hmic []	S
UNIT 1. a) c) 2. 3. 4. 5.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are reference Fourier series. a) Dirichlet's conditions c) Fourier conditions d) Fourier conditions c) Fourier conditions d) Fourier are the two types off a) Trigonometric and exponential c) Exponential and logarithmic are the Fourier coefficient a) a ₀ , a _n and b _n b) a _n is the disadvantage of exponential a) It is tough to calculate	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to b) Gibbs phenomenon frier phenomenon f Fourier series. b) Trigonometric and logarit d) Trigonometric only nts in the following. d) a _n and b _n ntial Fourier series. b) It is not easily visu	[] ier be represented as [] hmic [] ualized	S
UNIT 1. a) c) 2. 3. 4. 5.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are re- Fourier series. a) Dirichlet's conditions c) Fourier conditions d) Four- are the two types of a) Trigonometric and exponential c) Exponential and logarithmic are the Fourier coefficient a) a_0, a_n and b_n b) a_n c) b_n is the disadvantage of exponential a) It is tough to calculate c) It cannot be easily visualized as sin	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to b) Gibbs phenomenon frourier phenomenon f Fourier series. b) Trigonometric and logarith d) Trigonometric only nts in the following. d) a _n and b _n ntial Fourier series. b) It is not easily visu inusoids d) It is hard for manip	[] be represented as [] hmic [] alized pulation	S
UNIT 1. a) c) 2. 3. 4. 5. 6.	II discovered Fourier Jean Baptiste de Fourier Fourier Joseph are the conditions which are reference Fourier series. a) Dirichlet's conditions c) Fourier conditions d) Fourier are the two types off a) Trigonometric and exponential c) Exponential and logarithmic are the Fourier coefficient a) a_0, a_n and b_n b) a_n c) b_n is the disadvantage of exponential c) It cannot be easily visualized as sint The Fourier transform of x(t) is given is given	er series. b) Jean Baptiste Joseph Four d) Jean Fourier equired for a signal to fulfil to b) Gibbs phenomenon frourier phenomenon f Fourier series. b) Trigonometric and logarit d) Trigonometric only nts in the following. d) a _n and b _n ntial Fourier series. b) It is not easily visu inusoids d) It is hard for manip n by	[] ier be represented as [] hmic [] ualized pulation	5



UNIT V

1.	The value of h[n]*d[n-1], d[n] bei	ng the delta function is []
	a) h[n-2] b) h[n]	c) $h[n-1]$ d) $h[n+1]$
2.	The convolution of $x(t) = exp(2t)u$	u(-t), and $h(t) = u(t-3)$ is [
	a) $0.5\exp(2t-6) u(-t+3) + 0.5u(t-3)$	b) $0.5\exp(2t-3) u(-t+3) + 0.8u(t-3)$
	c) $0.5\exp(2t-6) u(-t+3) + 0.5u(t-6)$	d) $0.5\exp(2t-6) u(-t+3) + 0.8u(t-3)$
3.	The convolution of $x(t) = exp(3t)u$	u(-t), and $h(t) = u(t-3)$ is [
	a) $0.33\exp(2t-6) u(-t+3) + 0.5u(t-3)$	b) $0.5\exp(4t-3) u(-t+3) + 0.8u(t-3)$
	c) $0.33\exp(2t-6) u(-t+3) + 0.5u(t-6)$	b) d) $0.33\exp(3t-6) u(-t+3) + 0.33u(t-3)$
4.	The value of $d(t-34)*x(t+56)$, $d(t)$	being the delta function is []
	a) $x(t + 56)$ b) $x(t + 32)$	c) $x(t+22)$ d) $x(t-22)$
5.	If h_1 , h_2 and h_3 are cascaded, the c	overall impulse response is []
	a) $h_1 * h_2 * h_3$ b) $h_1 + h_2 + h_3$ c) h_2	d) all of the above

- 6. The equation for convolution in time domain is
- 7. Convolution sum is the mathematical computation that can be performed only on signals.
- 8. $x(n).\delta(n-n_0) = \dots$
- 9. The spectral density functions of the periodic or non-periodic signal x(t) represents the distribution of power or energy in the domain.
- 10. If X(f) is the frequency domain function of a signal x(t) then its ESD is given as

XII. WEBSITES:

- 1. https://www.edx.org/counse/signals-systems-part-1-iitbombay-ee210-1x-1
- 2. nptel.ac.in/courses/117104074
- 3. dsp.rice.edu/courses/elec301

XIII. EXPERT DETAILS:

- 1. Mr. S. Srinivasan, Professor, Indian Institute of Technology, Madras
- 2. Dr. V. Sumalatha (JNTUA)
- 3. Dr. P. V. D. Somasekhar Rao (JNTUH)
- 4. Dr. T.Satya Savithri (JNTUH)

XIV. JOURNALS:

INTERNATIONAL

- 1. IEEE Journal on Selected Areas in Communications
- 2. IEEE Transactions on Signal Processing
- 3. IEEE Transactions on Circuits and Systems
- 4. IEEE Transactions on Audio, Speech, and Language Processing

NATIONAL

- 1. The Journal of the Acoustical Society of America
- 2. EURASIP Journal on Advances in Signal Processing
- 3. Journal of Signal Processing Systems



XV. LIST OF TOPICS FOR STUDENT SEMINARS:

- 1. Signal approximation using orthogonal functions.
- 2. Fourier series representation of periodic signals.
- 3. Fourier series properties.
- 4. Fourier transforms properties.
- 5. Signal transmission through linear systems.

XVII. CASE STUDIES / SMALL PROJECTS:

- 1. Estimation of Improved DFT Characteristics.
- 2. Calculation Fourier Transform using Mat Lab.
- 3. Designing of an LTI System.